



Figure 1: The combination of the domain of individuals D and an attribute space F

– ratio, ordinal, or even nominal. Setting these differences aside, the notion of adjectival measure functions can straightforwardly be generalized to the nominal case: While adjectival measure functions map individuals to degrees in a single dimension, cf. (3a), generalized measure functions map individuals point-wise into multi-dimensional attribute spaces, cf. (3b).

- (3) a. $\mu_{\text{HEIGHT}}: U \rightarrow \mathfrak{R}$
 b. $\mu_{\text{CAR}}: U \rightarrow \langle \text{DRIVE, HP, ...} \rangle$, where $\mu_{\text{CAR}}(x) = \langle \mu_{\text{DRIVE}}(x), \mu_{\text{HP}}(x), \dots \rangle$
 and $\mu_{\text{DRIVE}}(x) \in \{ \text{DIESEL, GAS, ...} \}$, $\mu_{\text{HP}} \in \mathfrak{R}, \dots$

Multi-dimensional attribute spaces are given by a set F of dimensions associated with a set $C(F)$ of classification functions defined on their points. These classification functions approximate natural language predicates on a conceptual level yielding corresponding truth values (modulo fuzzy membership). For example, a classification function *high-powered** associated with the horsepower dimension in the example above is subject to the constraint in (4). The role of classification functions is two-fold. First, while generalized measure functions take individuals to points in attribute spaces, classification functions take these points back to regular predicates such that the diagram in fig. 1 commutes. From this point of view, they warrant the integration of attribute spaces into truth-conditional semantics.

- (4) $\text{high-powered}^*(\mu_{\text{HP}}(x))$ iff $\text{high-powered}(x)$

Secondly, classification functions determine the level of granularity: Similarity is defined such that two individuals are similar with respect to a set of relevant features iff the classification functions yield the same result when applied to corresponding points in the attribute space, cf. (5) (where $C(F)$ is the set of classification functions associated with the dimensions in F).

- (5) $\text{sim}(x, y, F)$ iff $\forall p^* \in C(F): p^*(\mu_F(x)) = p^*(\mu_F(y))$

The similarity relation in (5) for a fixed F corresponds to the indistinguishability notion of similarity in rough set theory (Pawlak 1998), which is an equivalence relation. This implementation is adequate for the interpretation of *so/such* (although symmetry

may be discussed). The interpretation of the adjectives *similar/ähnlich* will require a slightly different relation (cf. Tversky's 1977 contrast model) which can, however, easily be defined in multi-dimensional attribute spaces as suggested above.

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